

EXPERIMENT 2 1/8

 $P = 10 \text{ W}$ $dL = 100 \text{ s}$

heating duration 3600s (during whole measurement)

all values for all measurements between 2500 and 3600s

$L_1 = 3 \text{ cm}$	$L_2 = 9 \text{ cm}$	$L_3 = 15 \text{ cm}$	$L_4 = 21 \text{ cm}$	$L_5 = 27 \text{ cm}$
$T_1 (\text{C})$	$T_2 (\text{C})$	$T_3 (\text{C})$	$T_4 (\text{C})$	$T_5 (\text{C})$
from 125,0 to 125,4	121,5 - 121,9	118,2 - 118,6	116,6 - 117,0	115,6 - 116,0
$\approx 125,2^\circ\text{C}$	$\approx 121,7^\circ\text{C}$	$\approx 118,4^\circ\text{C}$	$\approx 116,8^\circ\text{C}$	$\approx 115,8^\circ\text{C}$
$= 398,3 \text{ K}$	$= 394,8 \text{ K}$	$= 399,5 \text{ K}$	$= 389,9 \text{ K}$	$= 388,9 \text{ K}$

 \Rightarrow The values are constant ^{for} about 18 minutes \Rightarrow The temperature do not change \Rightarrow The specific heat c do not effect this part of measurement

The energy cannot disappear.

$$W = S \cdot \lambda (T - T_0) + S \cdot \beta \sigma (T^4 - T_0^4)$$

The best will be make a graph, approximate the area curve and calculate the integral, but I do not have time for it so I will use simple approximation and I will assume divide the rod into 5 pieces with "constant" temperature.

One piece lost energy

$$E_i = S_p \cdot d \cdot (T_i - T_0) + S_p \cdot \beta \cdot \sigma (T_i^4 - T_0^4)$$

$$W = \sum_{i=1}^5 E_i = S_p \cdot L \cdot \sum_{i=1}^5 (T_i - T_0) + S_p \cdot \beta \cdot \sigma \sum_{i=1}^5 (T_i^4 - T_0^4)$$

length $L = 30 \text{ cm}$ radius $r = 1 \text{ cm}$ ~~Surface~~

area of a part of the cylinder

$$S_p \approx 2\pi r \cdot \frac{L}{5}$$

$$S_p \approx 2\pi \cdot 1 \cdot \frac{30}{5} = 37,68 \text{ cm}^2$$

$$= 37,7 \cdot 10^{-4} \text{ m}^2$$

Heat loss in one second $W = 10 \text{ J}$

$$\sum_{i=1}^5 (T_i - T_0) = T_1 + T_2 + T_3 + T_4 + T_5 - 5T_0 = 597,9 - 5 \cdot 26,9 = 463,4$$

$$\sum_{i=1}^5 (T_i^4 - T_0^4) = T_1^4 + T_2^4 + T_3^4 + T_4^4 + T_5^4 - 5T_0^4 = 7,844 \cdot 10^{10}$$

$$10 = 37,7 \cdot 10^{-4} \cdot 463,4 \cdot L + 37,7 \cdot 10^{-4} \cdot 7,844 \cdot 10^{10} \cdot 5,67 \cdot 10^{-8} \cdot \beta$$

I $10 = 1747 \alpha + 16,77 \beta$

There will be other similar measurement with heating power 100W

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 $P = 100W$ $dL = 100\mu m$

heating duration 3600 s (during whole experiment)

all values for all measurements between 1100 s - 3600 s

$L_1 = 3\text{cm}$	$L_2 = 9\text{cm}$	$L_3 = 15\text{cm}$	$L_4 = 21\text{cm}$	$L_5 = 27\text{cm}$
$T_1 (\text{C})$	$T_2 (\text{C})$	$T_3 (\text{C})$	$T_4 (\text{C})$	$T_5 (\text{C})$
480,7 - 481,1	446,5 - 447,0	421,1 - 421,5	406,9 - 409,3	396,0 - 396,4
$\approx 480,8^\circ\text{C}$	$\approx 446,8^\circ\text{C}$	$\approx 421,3^\circ\text{C}$	$\approx 405,1^\circ\text{C}$	$\approx 396,2^\circ\text{C}$
$\approx 753,9\text{K}$	$= 719,9\text{K}$	$= 694,4\text{K}$	$= 678,2\text{K}$	$= 669,3\text{K}$

Everything same as before.

$$W = \sum_{i=1}^5 E_i = S_p \cdot d \sum_{i=1}^5 (T_i - T_0) + S_p \cdot k_B \sigma \sum_{i=1}^5 (T_i^4 - T_0^4)$$

heat loss made in one second work $W = 100J$

$$\sum_{i=1}^5 (T_i - T_0) = 2015,7$$

$$\sum_{i=1}^5 (T_i^4 - T_0^4) = 1,1976 \times 10^{12}$$

$$100 = 37,7 \cdot 10^{-4} \cdot 2015,7 \cdot d + 37,7 \cdot 10^{-4} \cdot 1,196 \cdot 10^{12} \cdot 5,67 \cdot 10^{-8} \cdot \beta$$

$$\underline{\underline{100}} = 7,600 \cdot d + 255,6 \cdot \beta$$

Two equations with two variables

$$I \Rightarrow \lambda = \frac{10 - 16,77\beta}{1,747}$$

$$II \Rightarrow 100 = 7,600 - \frac{10 - 16,77\beta}{1,747} + 255,6\beta$$

$$100 = 43,50 - 72,95 + 255,6\beta$$

$$56,50 = 182,65\beta$$

$$\underline{\beta} = 0,3093 = \underline{0,309} \quad (\text{dimensionless})$$

$$\lambda = \frac{10 - 16,77 \cdot 0,3093}{1,747} = 2,755 = \underline{\underline{2,76}} \quad \frac{W}{m^2 K}$$

THE SPECIFIC HEAT $c \left[\frac{J}{kgK} \right]$

I will keep it simple so I will assume that

if the temperature is under $35^\circ C$ * that the cylinder does not lose the heat \dot{Q}_T $\left(T = 308,1K \right)$

* and the time is short like under 20s

Because:

Let's whole cylinder has top temperature $35^\circ C$.

How many heat \dot{Q}_{lost} will the cylinder lost during t_{loss}

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$$E_{\text{LOST}} = S \cdot A_{\text{LOST}} \cdot \lambda (T_{\text{LOST}} - T_0) + S \cdot A_{\text{LOST}} \cdot \rho \cdot c \cdot (T_{\text{LOST}}^4 - T_0^4)$$

$$S \approx \pi r \cdot l$$

$$S = \pi \cdot 1.30 = 188,4 \text{ cm}^2 = 0,02 \text{ m}^2$$

$$E_{\text{LOST}} = 0,02 \cdot 20 \cdot 2,76 \cdot 8,1 + 0,02 \cdot 20 \cdot 0,31 \cdot 9,67 \times 10^{-3} \cdot 9,1 \cdot 10^8$$

$$E_{\text{LOST}} = 15 \text{ J}$$

If the power of the heater is 10 W $\Rightarrow \frac{E}{W} = \frac{15}{10 \cdot 20} = 0,075$
 $\Rightarrow \underline{\underline{7,5\%}}$

Back to the specific heat

I will divide the cylinder into 5 spaces like before.

$$m_p = \frac{0,46}{5} = 0,092 \text{ kg} \quad \text{mass of the part}$$

and I will assume that the whole piece has constant temperature like before

$A(\Delta)$	$L_1 = 3 \text{ cm}$	$L_2 = 9 \text{ cm}$	$L_3 = 15 \text{ cm}$	$L_4 = 21 \text{ cm}$	$L_5 = 27 \text{ cm}$
	$T_1(\text{C})$	$T_2(\text{C})$	$T_3(\text{C})$	$T_4(\text{C})$	$T_5(\text{C})$
5	30,1	28,0	27,1	26,9	26,9
10	32,2	29,5	27,9	27,2	26,9
15	33,9	30,8	28,8	27,7	27,2
20	35,3	32,0	29,8	28,4	27,8

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$$t_1 = 5 \text{ s} \quad t_2 = 10 \text{ s} \quad t_3 = 15 \text{ s} \quad t_4 = 20 \text{ s}$$

power of heater $P = 10 \text{ W}$ $t_6 = 26,9^\circ\text{C}$
 (heater is on during whole time)

$$P \cdot t_f = m_p \cdot c \left[(t_1 - t_0) + (t_2 - t_0) + (t_3 - t_0) + (t_4 - t_0) + (t_5 - t_0) \right]$$

$$P \cdot t = m_p \cdot c [T_1 + T_2 + T_3 + T_4 + T_5 - 5T_0]$$

$$c = \frac{P \cdot t}{m_p (T_1 + T_2 + T_3 + T_4 + T_5 - 5T_0)}$$

$$c_1 = \frac{10 \cdot 5}{0,0092 (30,1 + 28,0 + 27,1 + 26,9 + 26,9 - 5 \cdot 26,9)} = 120,7 \frac{\text{J}}{\text{kgK}}$$

$$c_2 = 118,1 \frac{\text{J}}{\text{kgK}}$$

The values are similar.

$$c_3 = 117,3 \frac{\text{J}}{\text{kgK}}$$

c_4 ... has biggest mistake

$$c_4 = 115,6 \frac{\text{J}}{\text{kgK}}$$

* c -- the average from c_1, c_2, c_3

$$\underline{\underline{c = 119 \frac{\text{J}}{\text{kgK}}}}$$

THERMAL CONDUCTIVITY

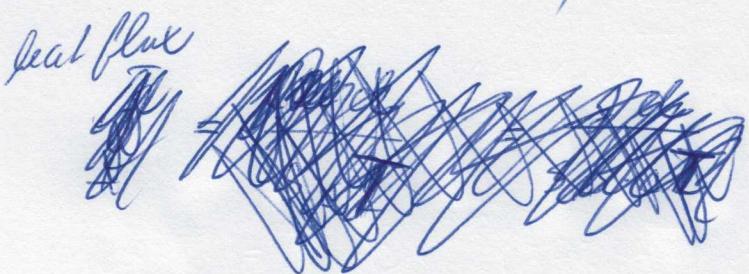
$$[k] = \frac{W}{mK} = \frac{\text{J}}{\text{mK}\cdot\text{s}}$$

~~I will assume as before that the cylinder does not lost heat.
 (is similar to situation like R_{eff})~~

? find balanced situation for heater power 1W.

Because of the small heater power I can not
 assume that the cylinder do not lost the heat.

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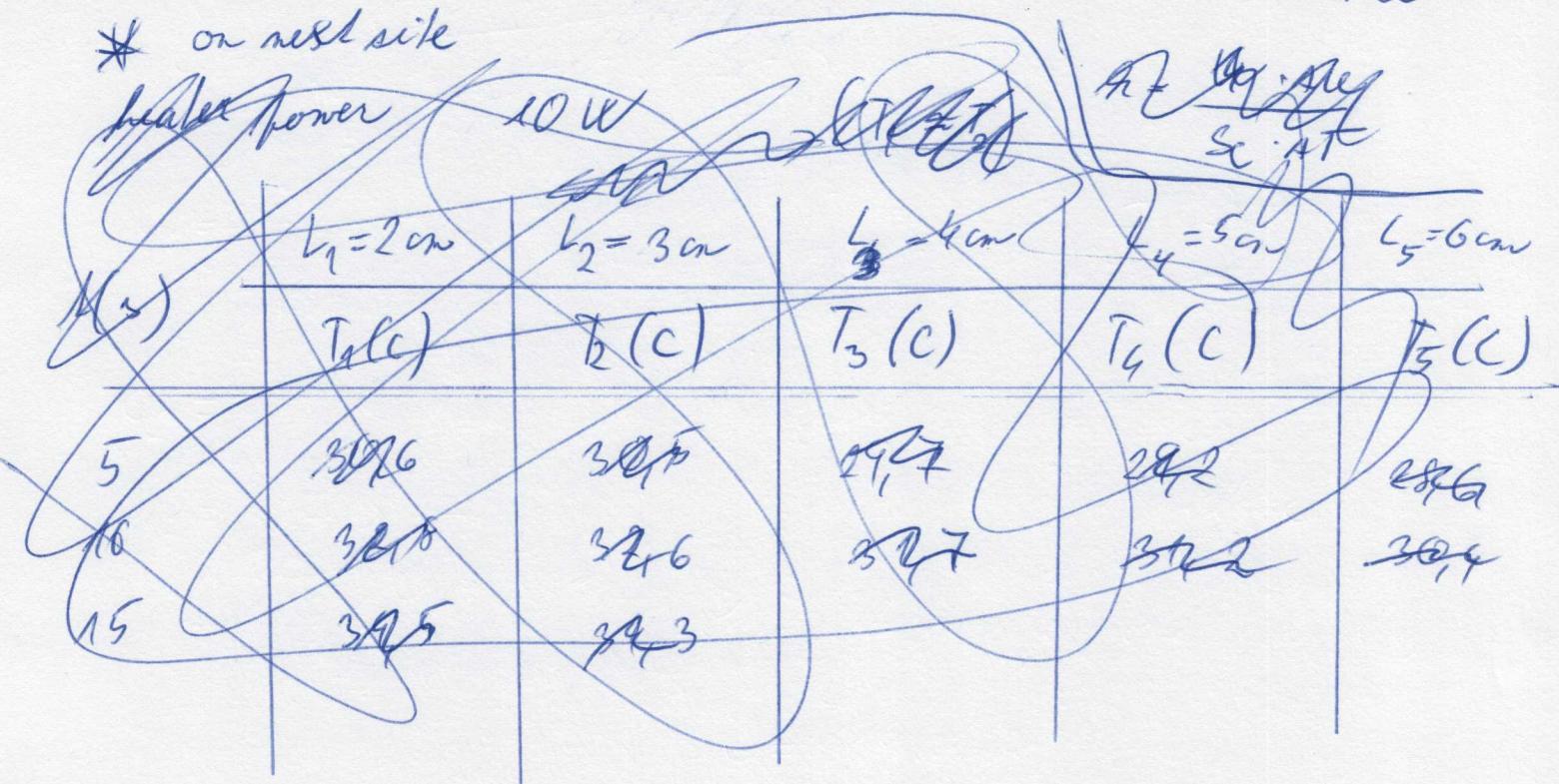


$$\oint = \frac{\mu}{S_c}$$

$$\oint \approx h \frac{\Delta T}{\Delta w} \Rightarrow$$

~~$$\frac{\mu}{S_c} = h \frac{\Delta T}{\Delta w}$$~~

* on next side



~~$$\Delta T = \Delta t$$~~

$$\mu = 1 \text{ W} \quad \Delta w = 7 \text{ cm} = 0,07 \text{ m}$$

$$\Delta T = 38,5 - 38,1 = 0,4 \text{ K}$$

$$S_c = \pi r^2 = \pi \cdot 1^2 = \pi \quad S_c = 3,14 \text{ cm}^2 = 3,14 \cdot 10^{-4} \text{ m}^2$$



How many of power is lost because of that the cylinder lost heat

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EXPERIMENT

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$\frac{\Delta T}{\Delta u}$ are quite also
quite small numbers
so the linear opt. of curve is
better.

* Peak power 1W (during whole time)
during 2400 - 3600 s

$$L_1 = 3 \text{ cm}$$

$$T_1 = 35,5^\circ\text{C}$$

$$L_2 = 10 \text{ cm}$$

$$T_2 = 38,1^\circ\text{C}$$

$$S_L = \frac{2\pi R \cdot L}{\Delta T} = \frac{62,8}{4000 \text{ cm}} = \frac{62,8}{4000 \cdot 10^{-4} \text{ m}^2}$$

$$T_L \doteq 38,8^\circ\text{C} - \text{the temperature of whole part - (approx)} \\ = 311,9 \text{ K}$$

$$\mu_L = S \cdot L (T_L - t_0) + S \cdot \beta \cdot \sigma (T_L^4 - T_0^4)$$

$$\mu_L = \frac{62,8 \cdot 10^{-4}}{4000} \cdot 2,76 \cdot (38,8 - 29,6) + (311,9^4 - 300^4) \cdot \frac{62,8 \cdot 10^{-4}}{667 \cdot 0,31}$$

$$\mu_L = 0,31 \text{ W}$$

$$\rho = \frac{(1-\mu_L) \Delta u}{S_c \cdot \Delta T}$$

$$\rho = \frac{(1-0,31) \cdot 0,07}{0,4 \cdot 3,14 \cdot 10^{-4}} = \underline{\underline{385 \frac{\text{W}}{\text{mK}}}}$$

From my results I can guess the metal because ρ is right
to the (but I think that possible value) \Rightarrow metal is Cu